CS 598CM: ML for Compilers and Architecture **Instructor: Charith Mendis**





Brief Announcements

- **Reading List:** Live on the website!
- Paper Selections: Due on August 31st
- change the fields of the reviews.
- **Resources and tutorials:** Towards the bottom of the website

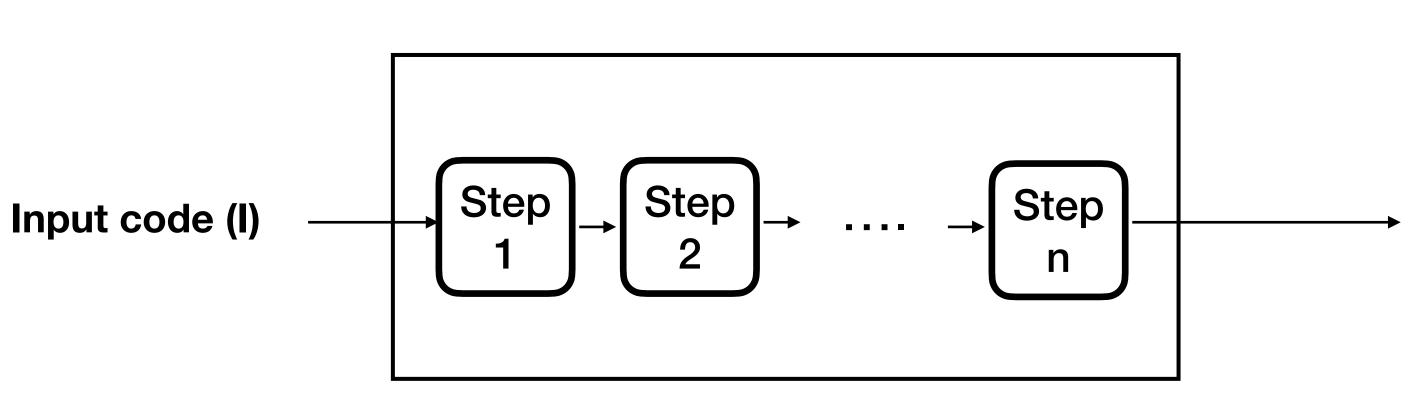
• **Paper Reviews:** We will use hotCRP to facilitate review writing. We will

- Compiler Stages
 - Lexer => Parser => Sema => Optimization => Code Generation
- Two types of compiler optimizations
- Phase ordering problem

Recap

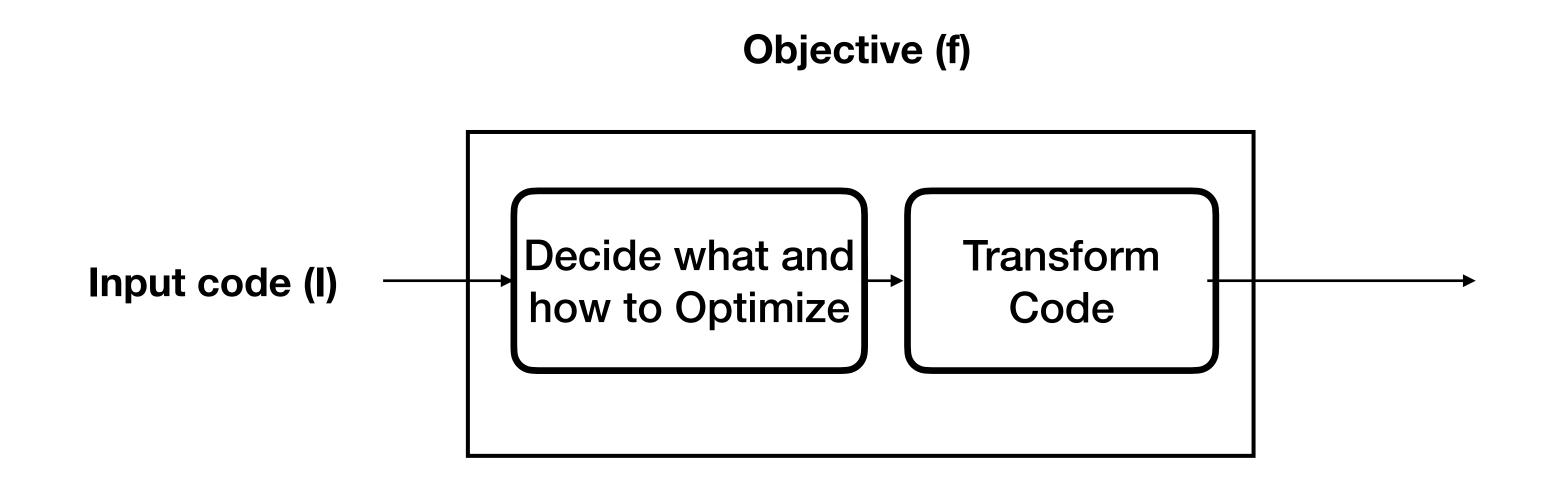
Lecture 3: Compiler Optimizations

Optimizations + DSLs

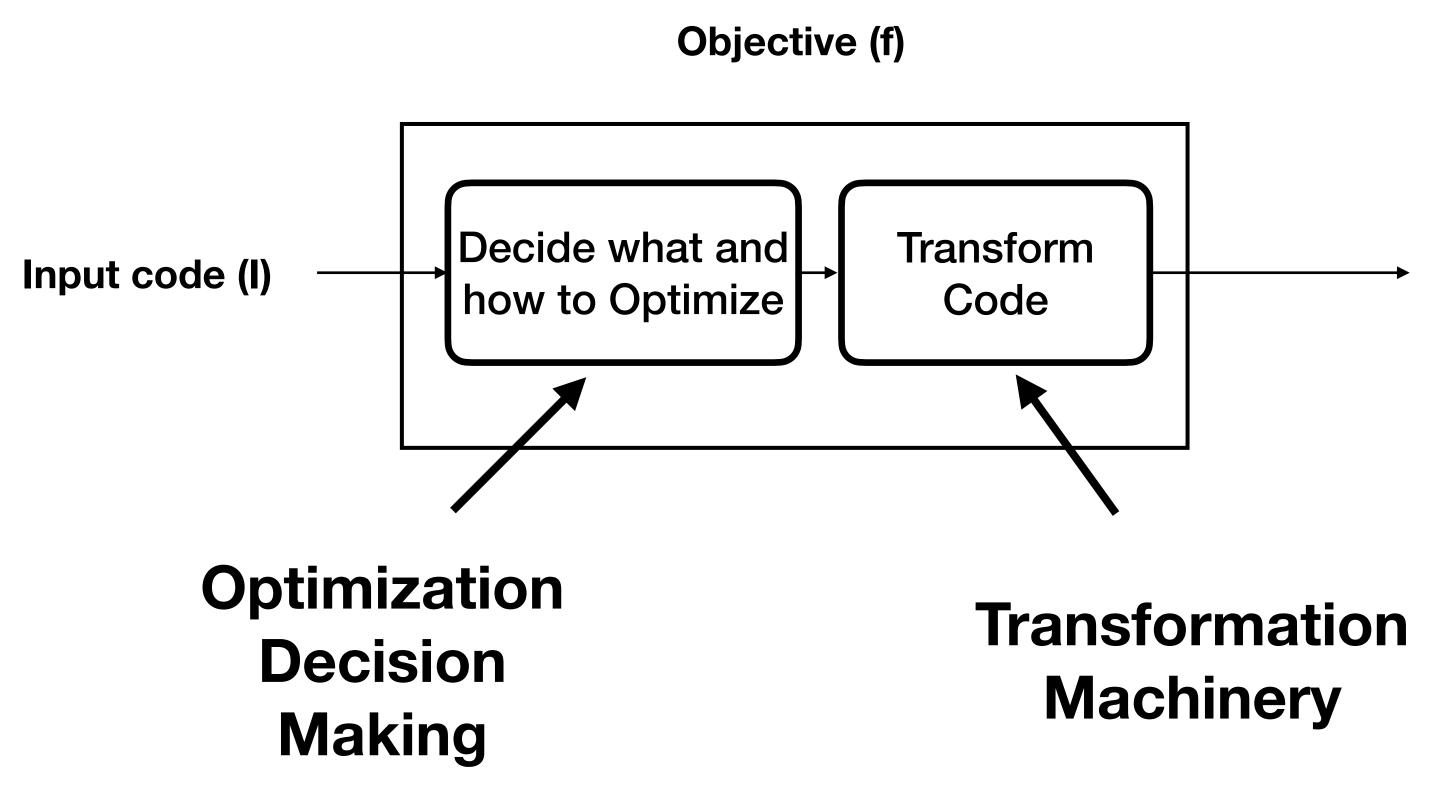


Objective (f)

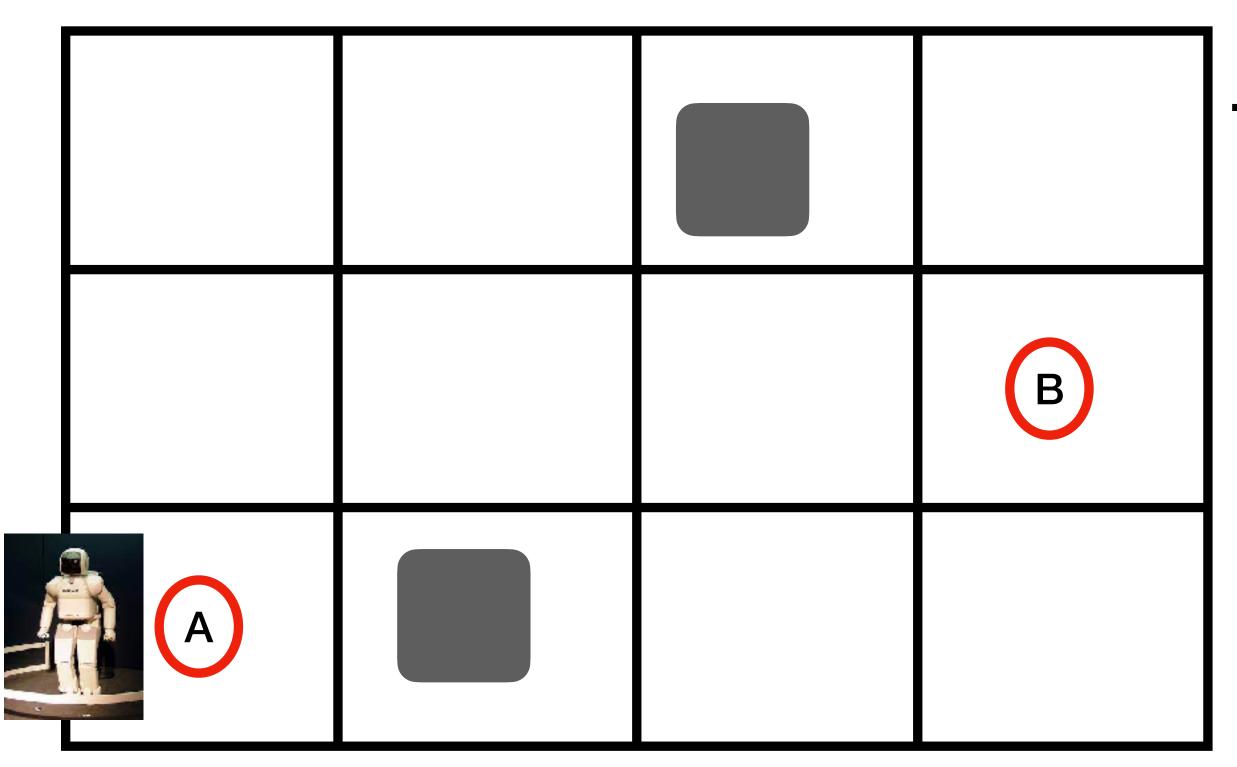
Output code (O)



Output code (O)

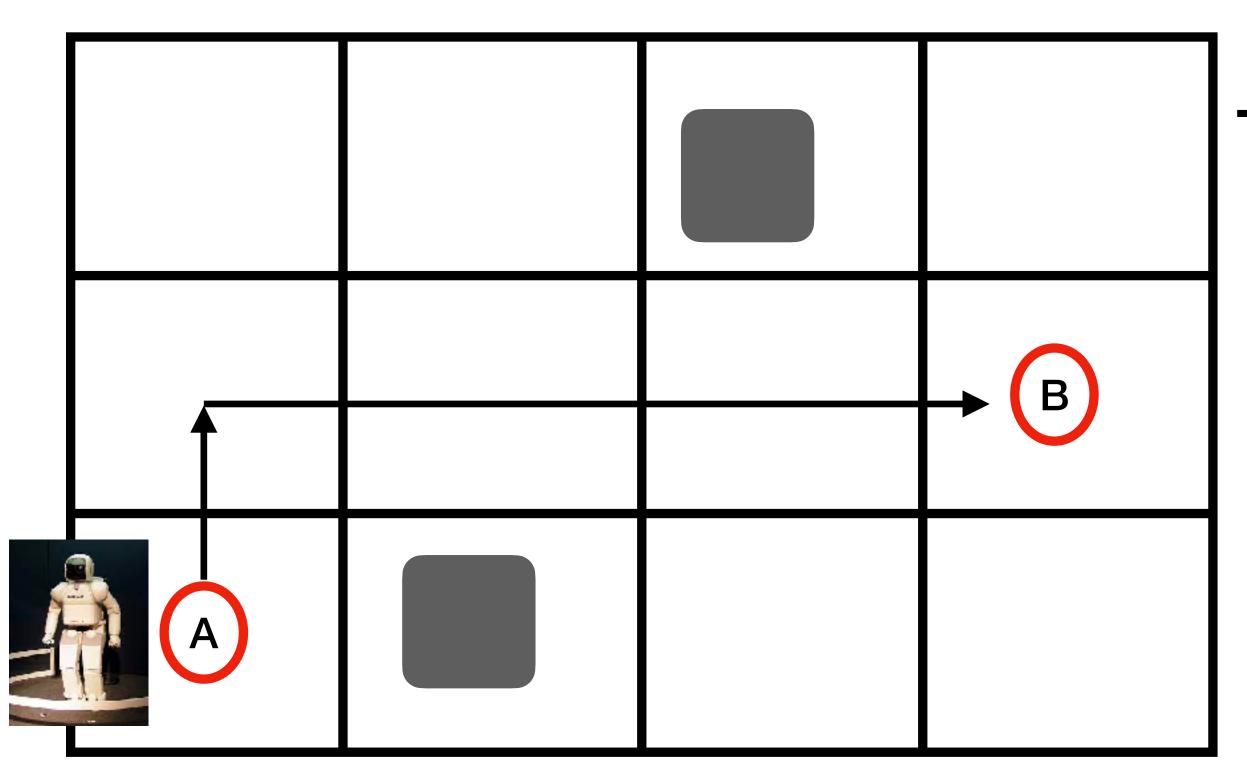


Output code (O)



Task: Move from A to B cheaply

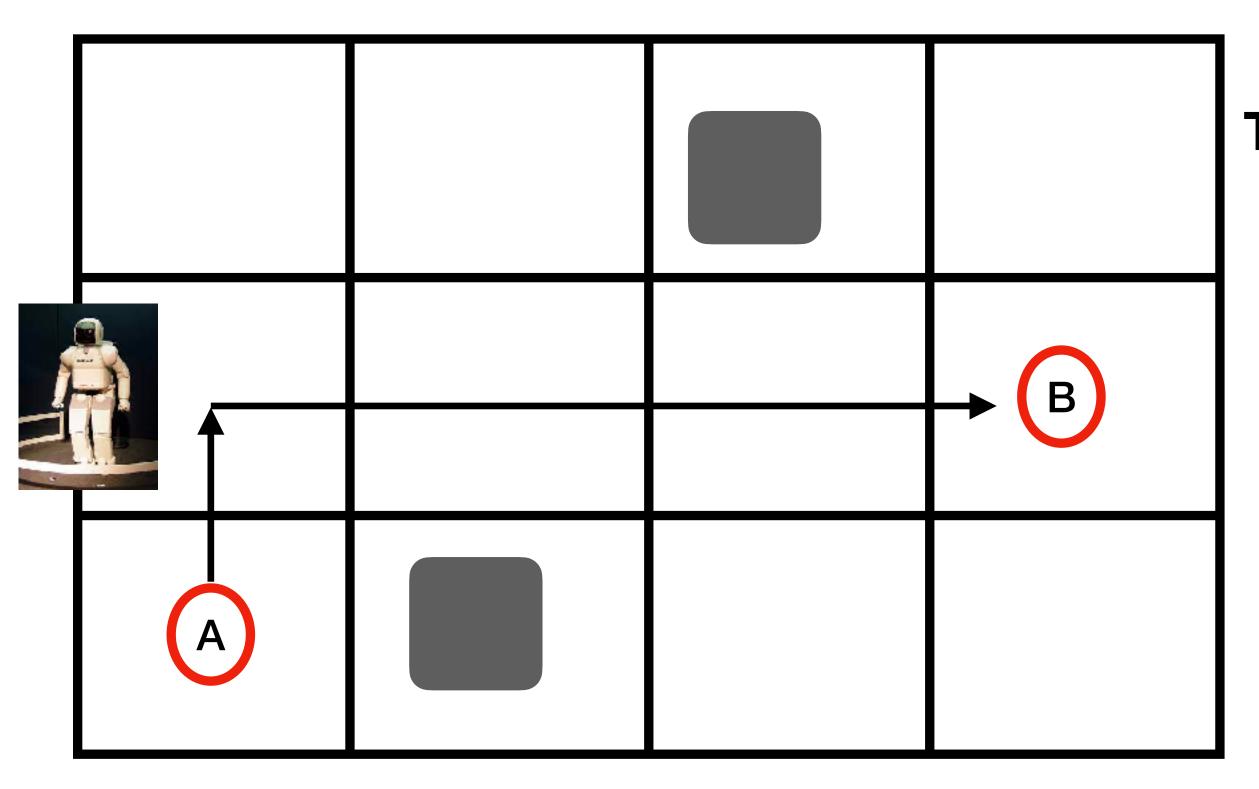




Task: Move from A to B cheaply

1. Plan

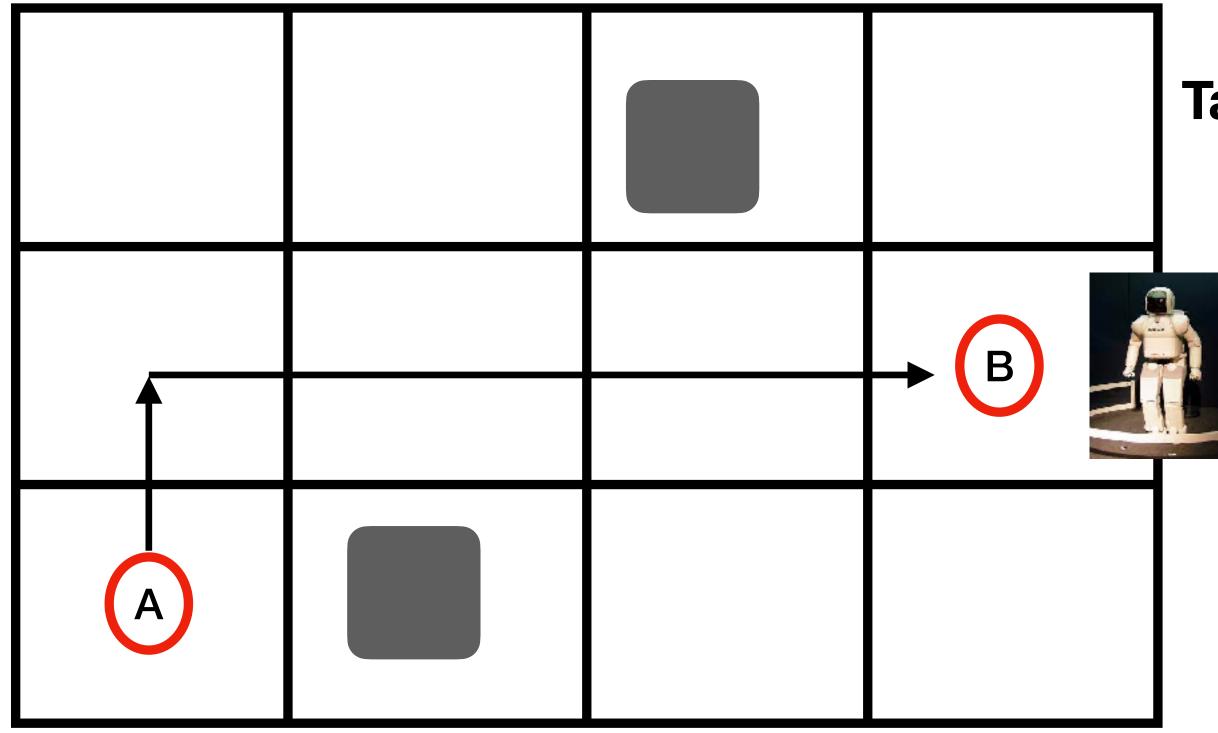




Task: Move from A to B cheaply

1. Plan

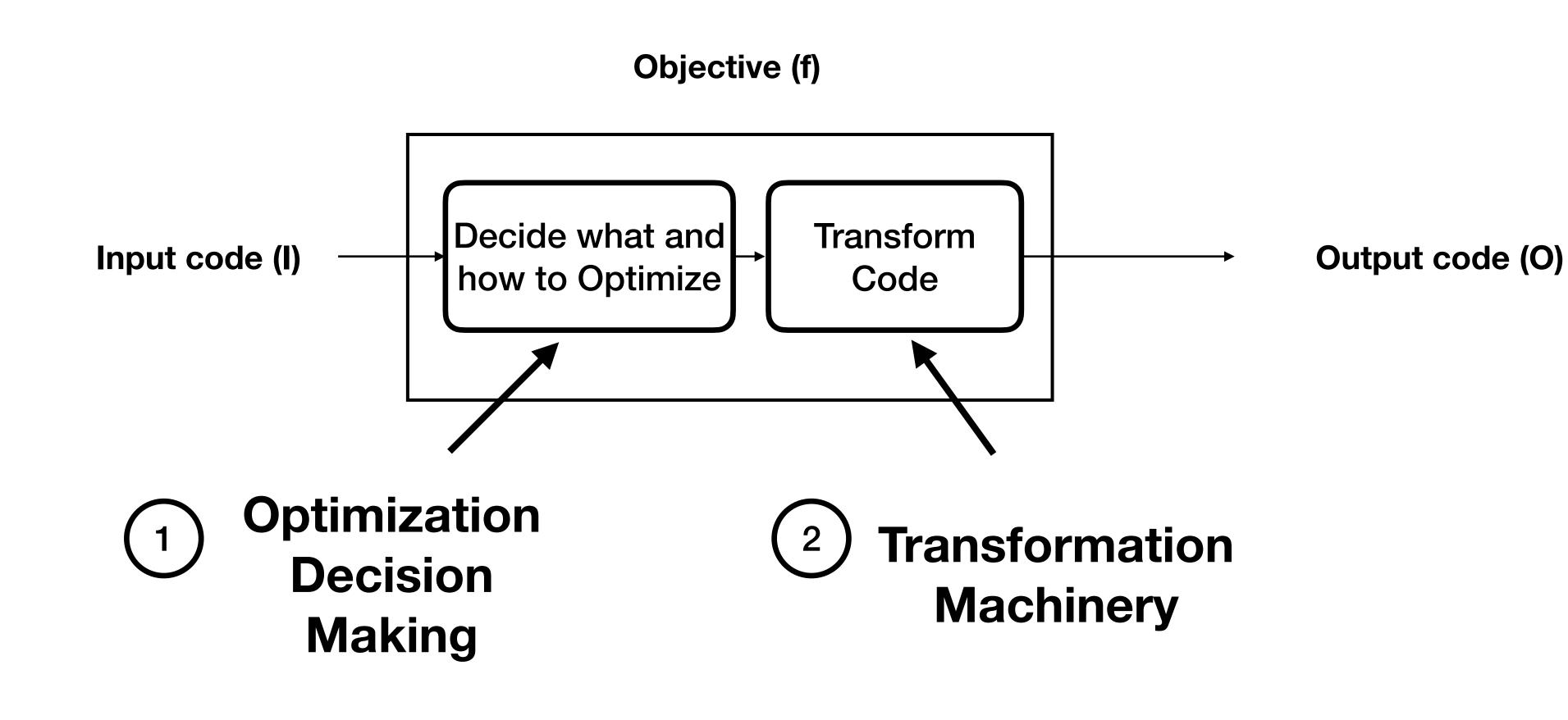




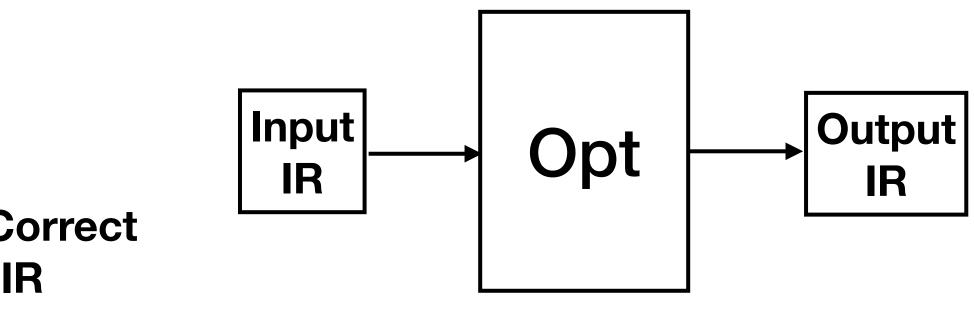
Task: Move from A to B cheaply

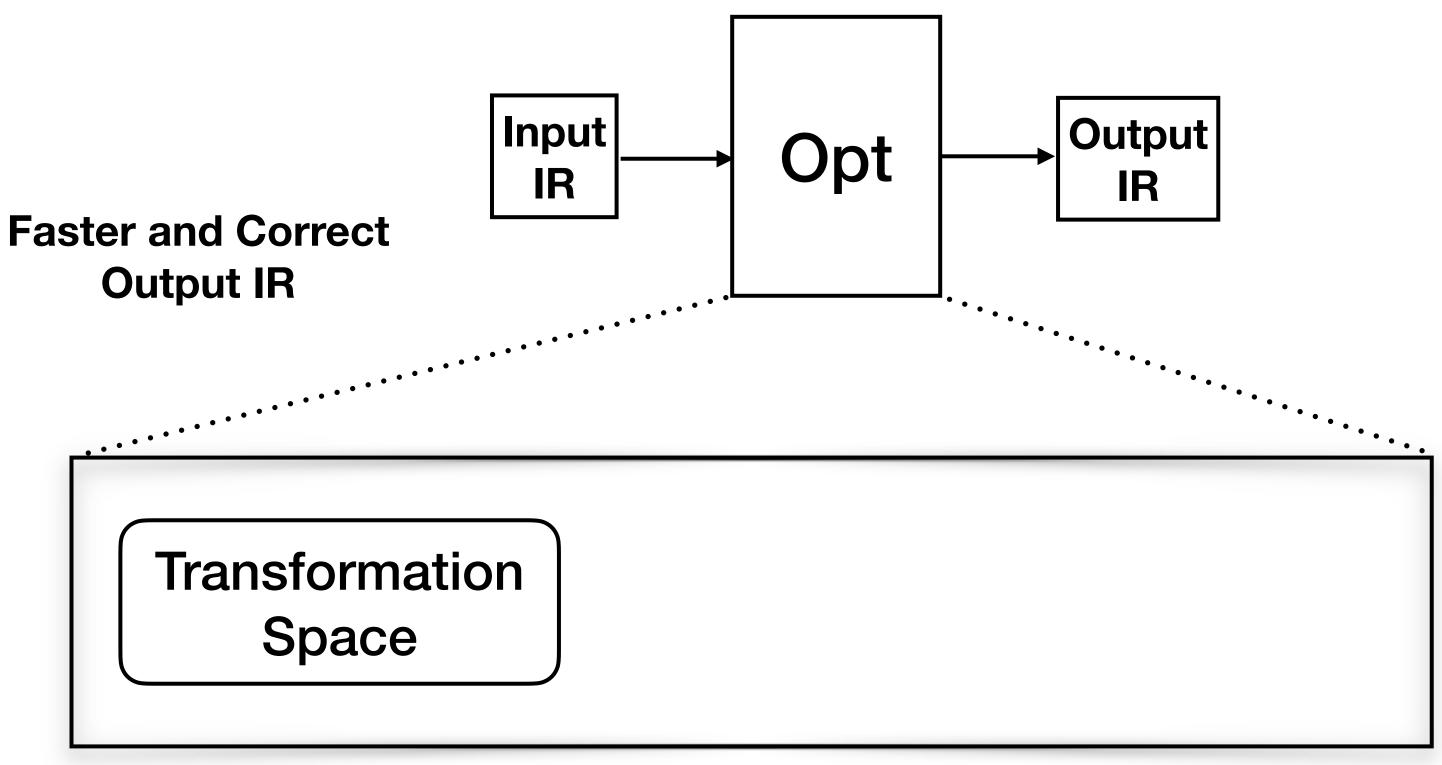
- 1. Plan
- 2. Execute

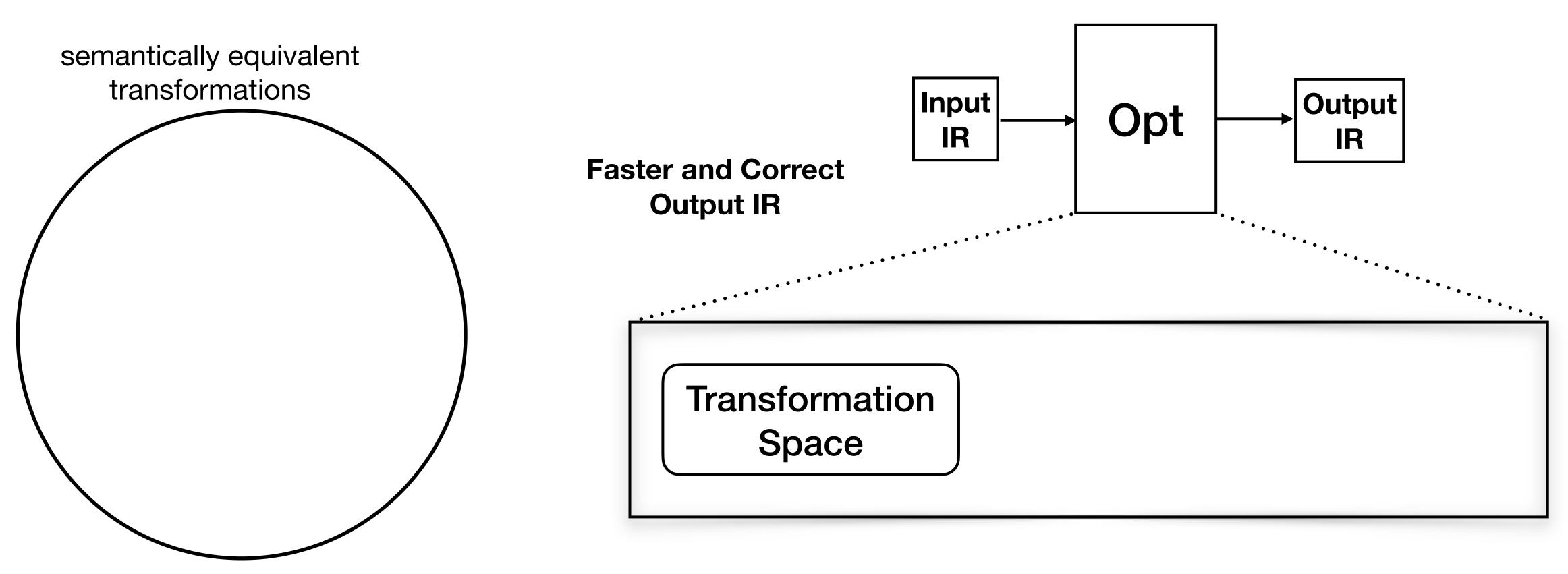


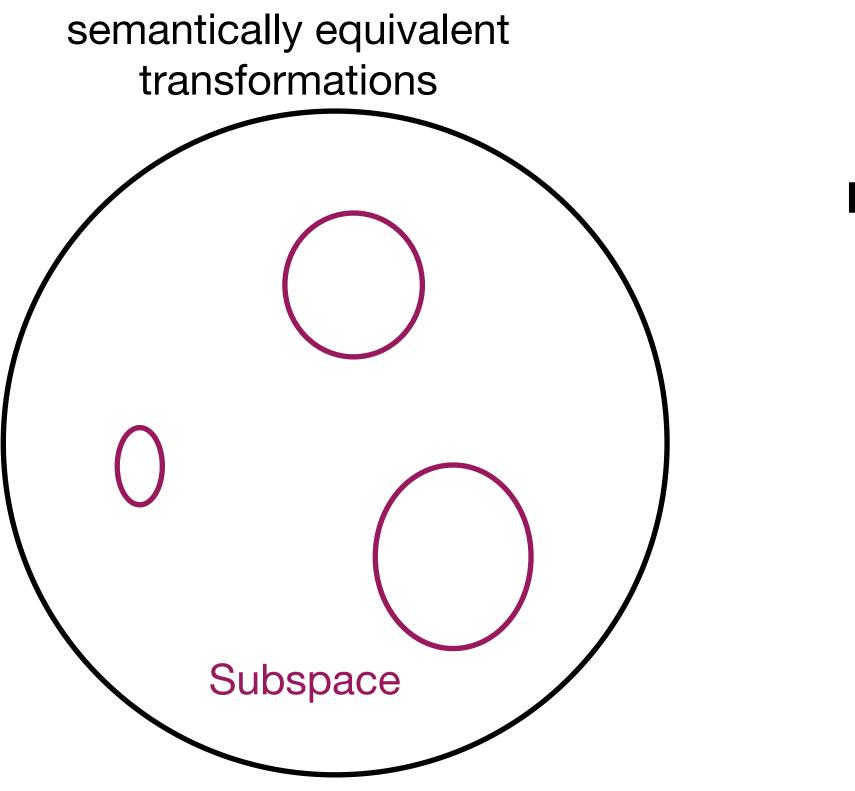


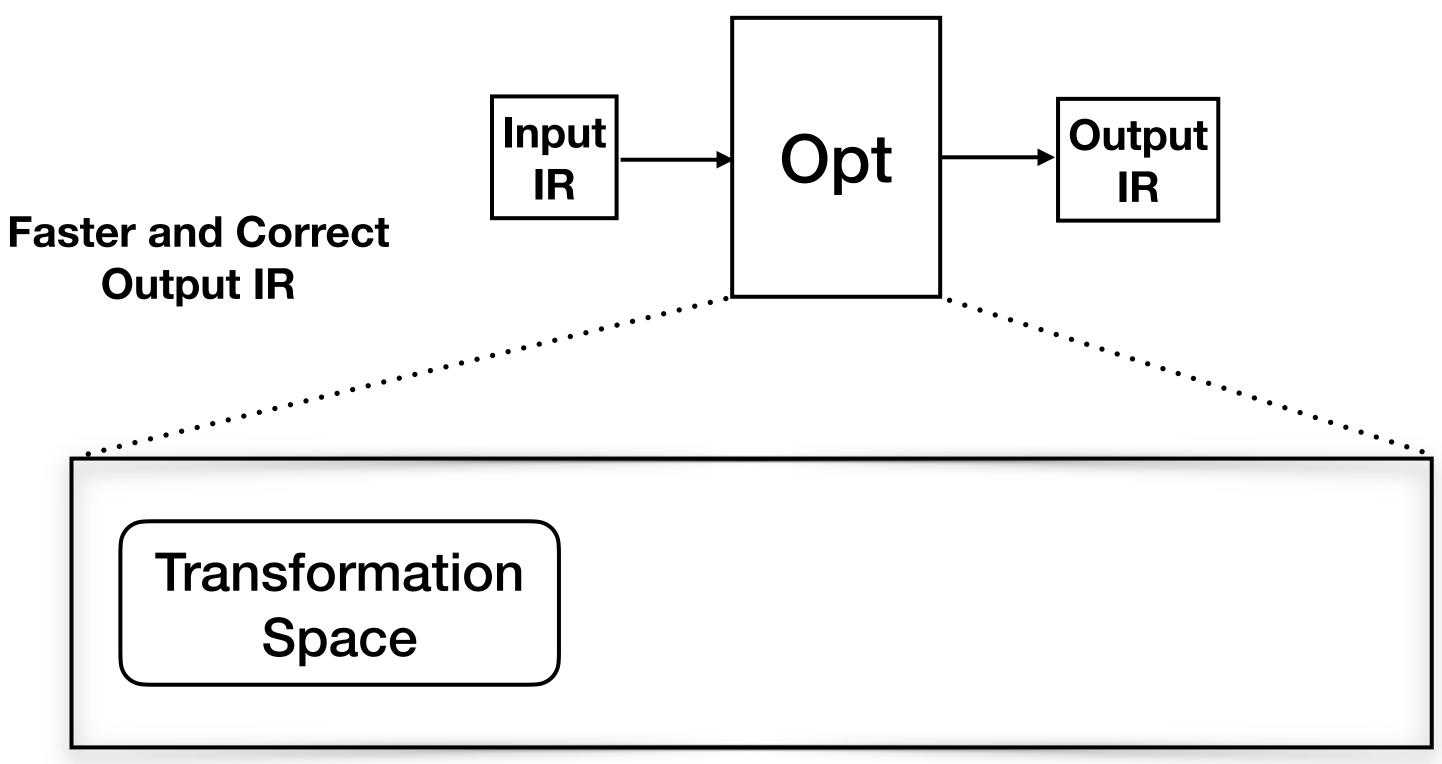
Faster and Correct Output IR

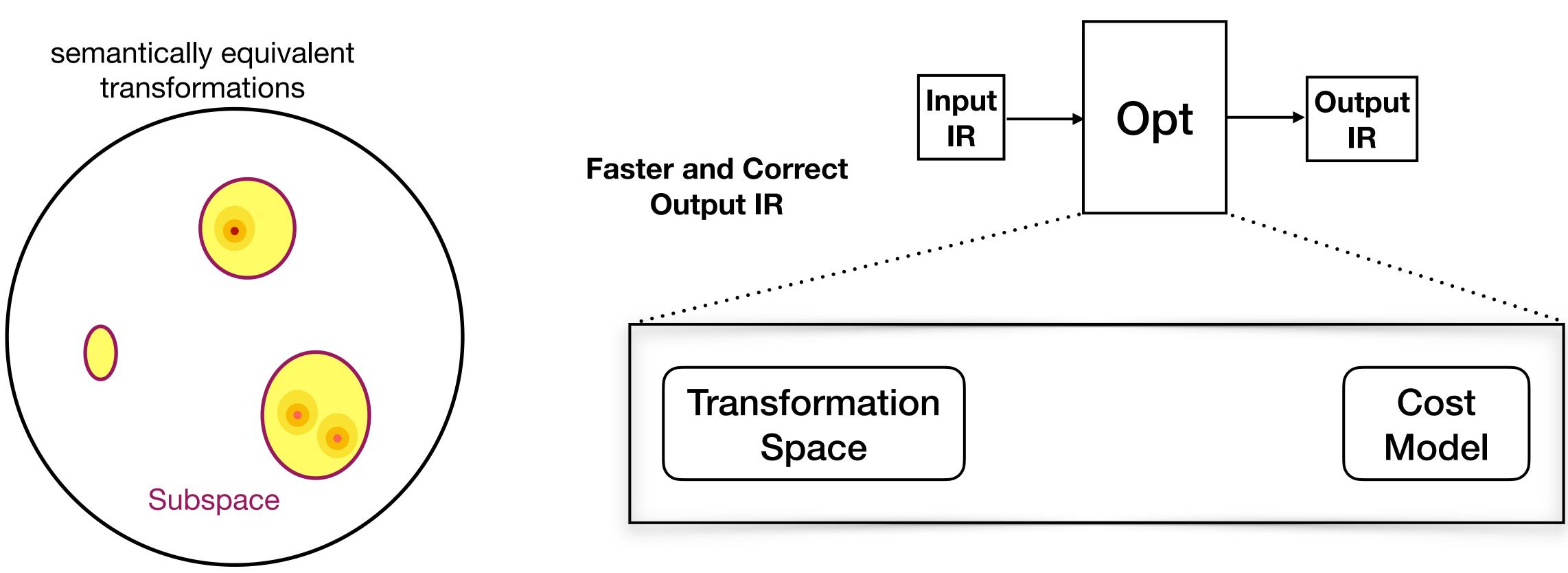






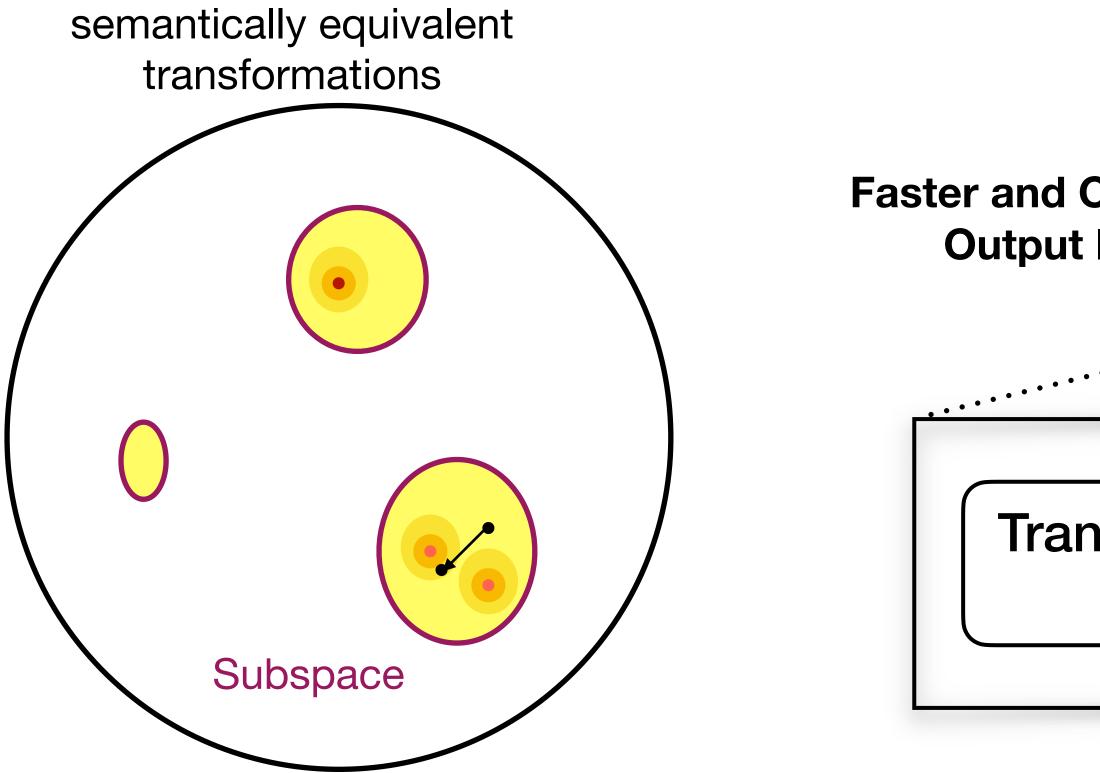






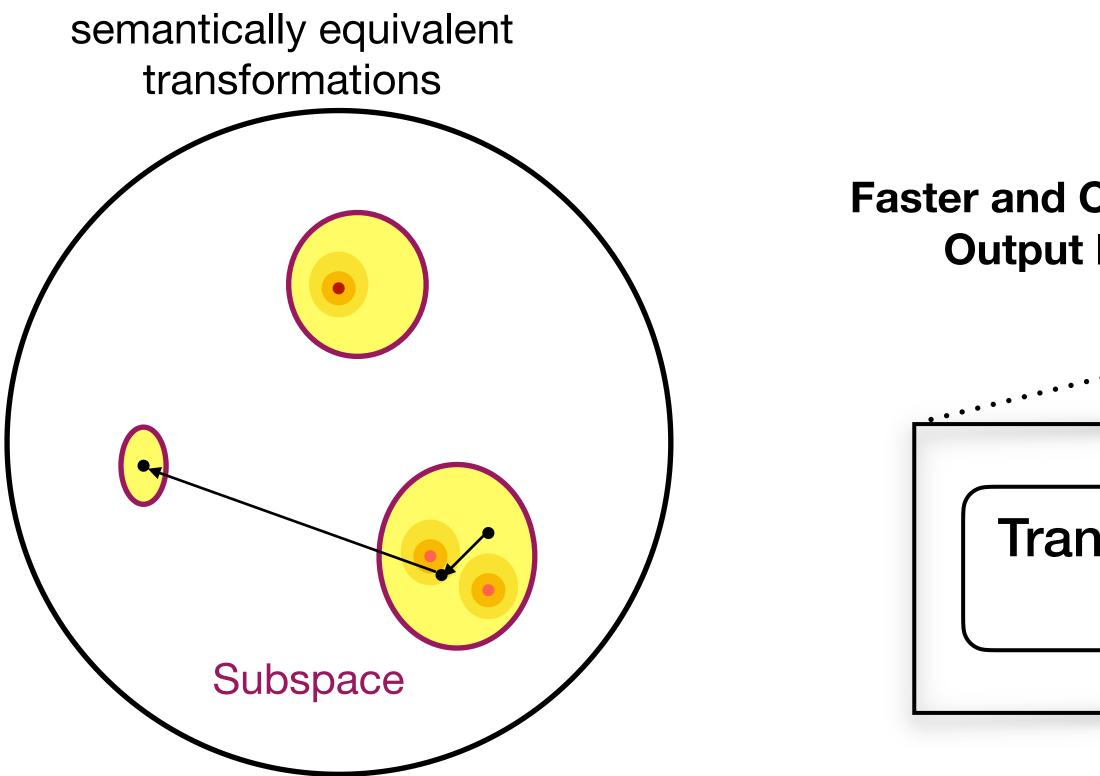


Optimization Decision Making Input Output Opt IR IR **Faster and Correct Output IR** Optimization **Transformation** Cost Model **Strategy** Space Subspace



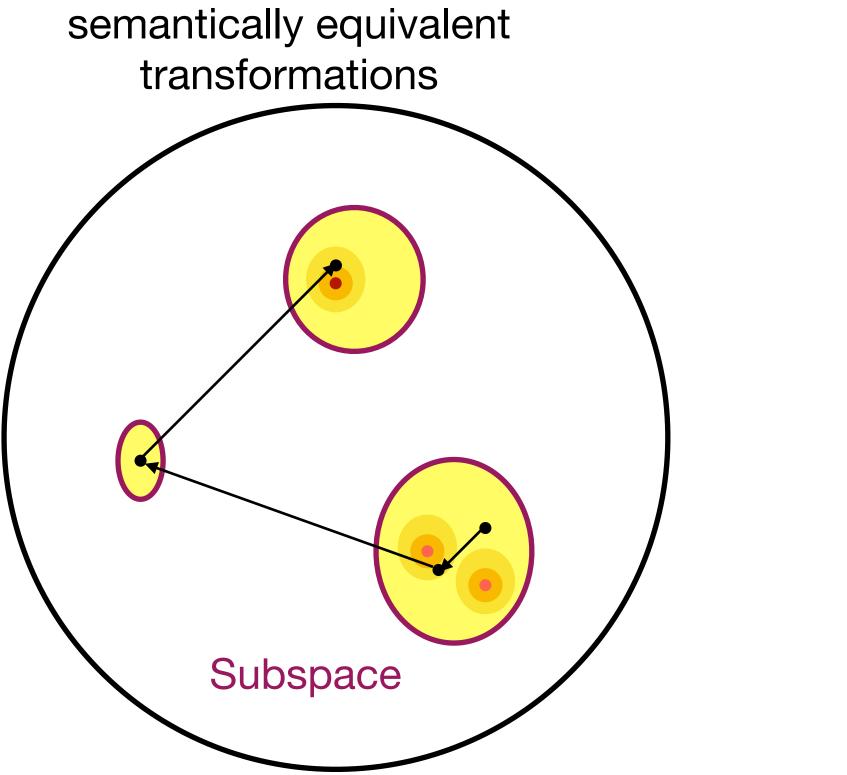


Optimization Decision Making Input Output Opt IR IR **Faster and Correct Output IR** Optimization **Transformation** Cost Model **Strategy** Space



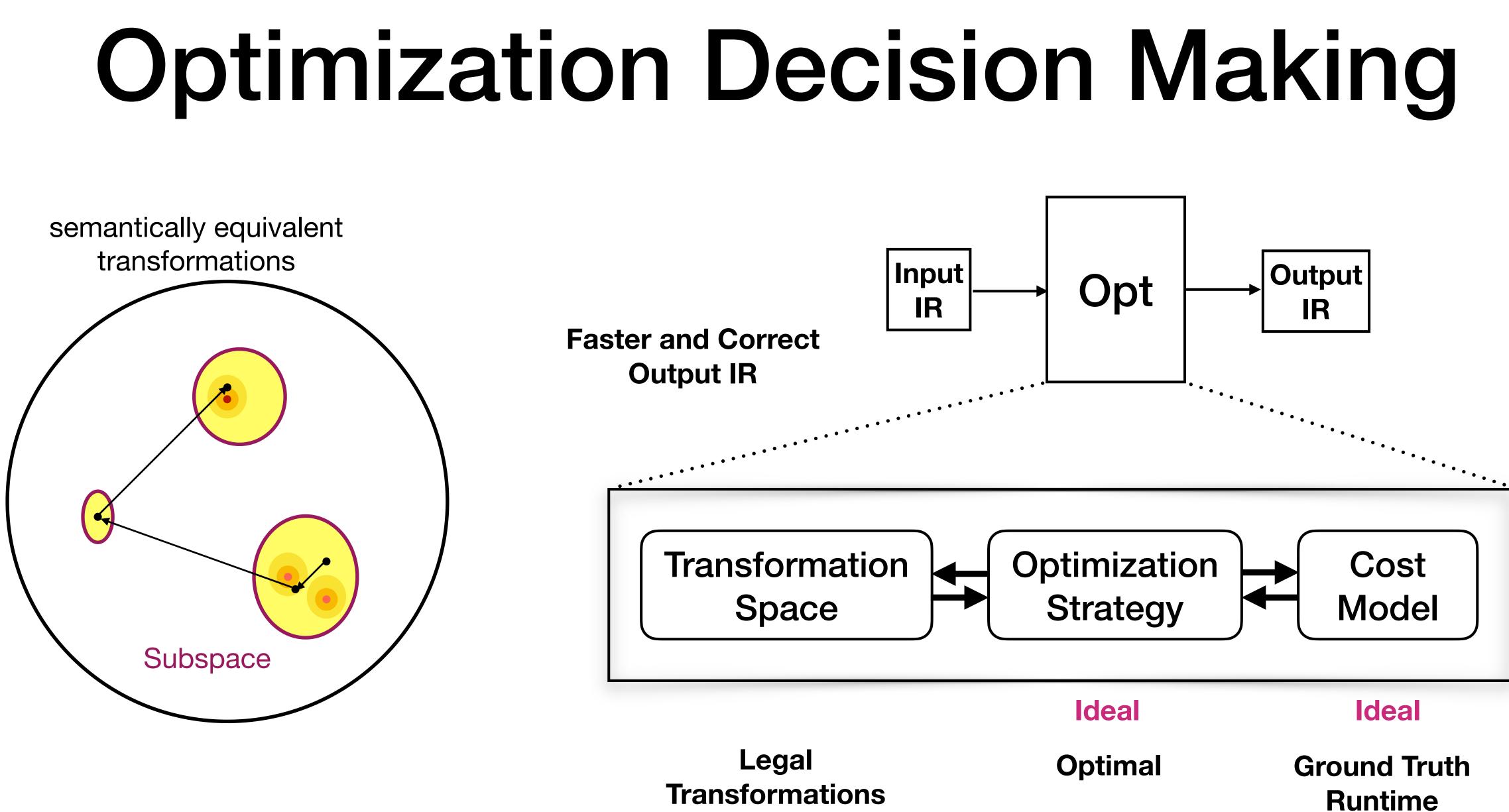


Optimization Decision Making Input Output Opt IR IR **Faster and Correct Output IR** Optimization **Transformation** Cost Strategy Model Space Subspace

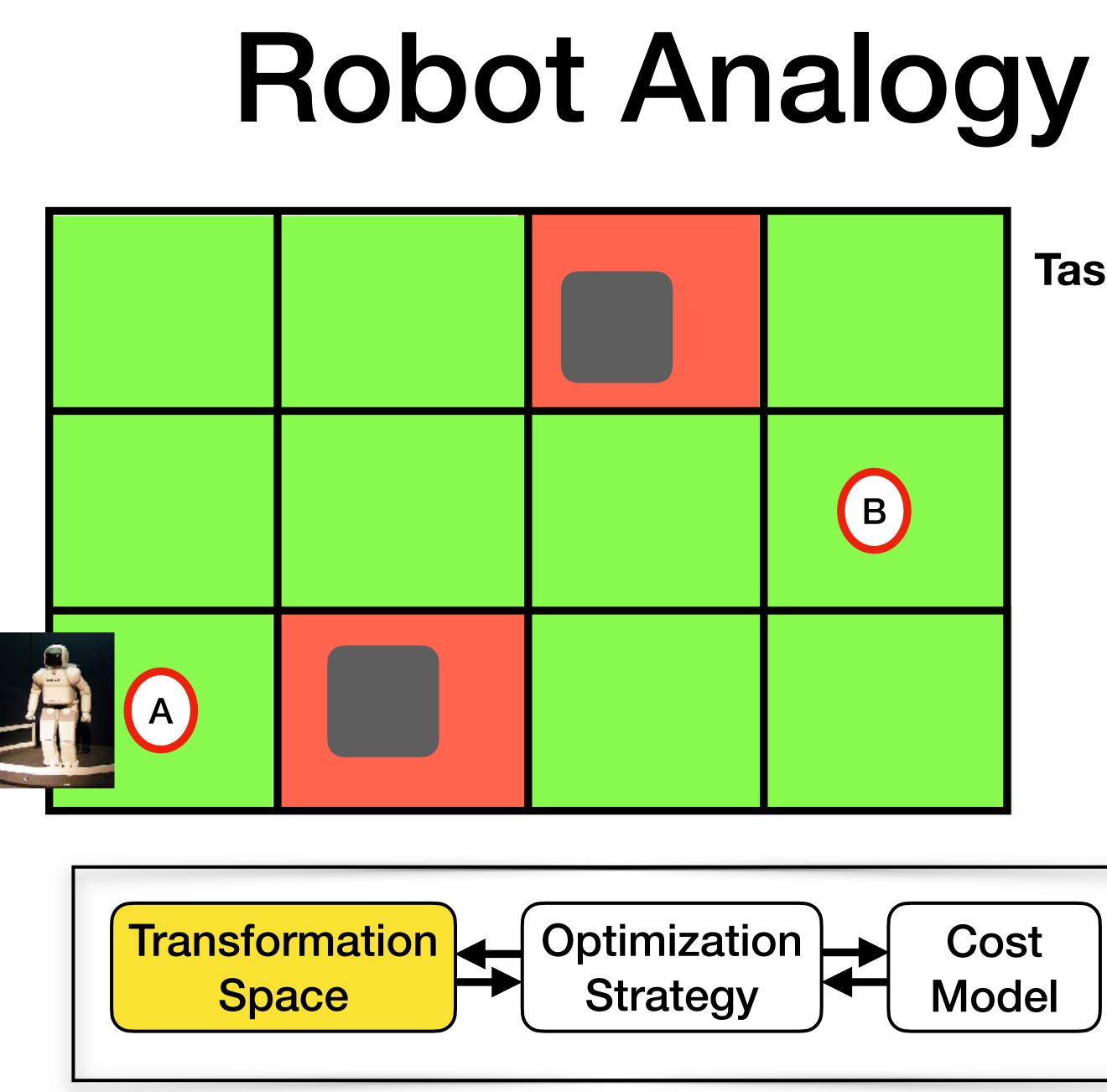


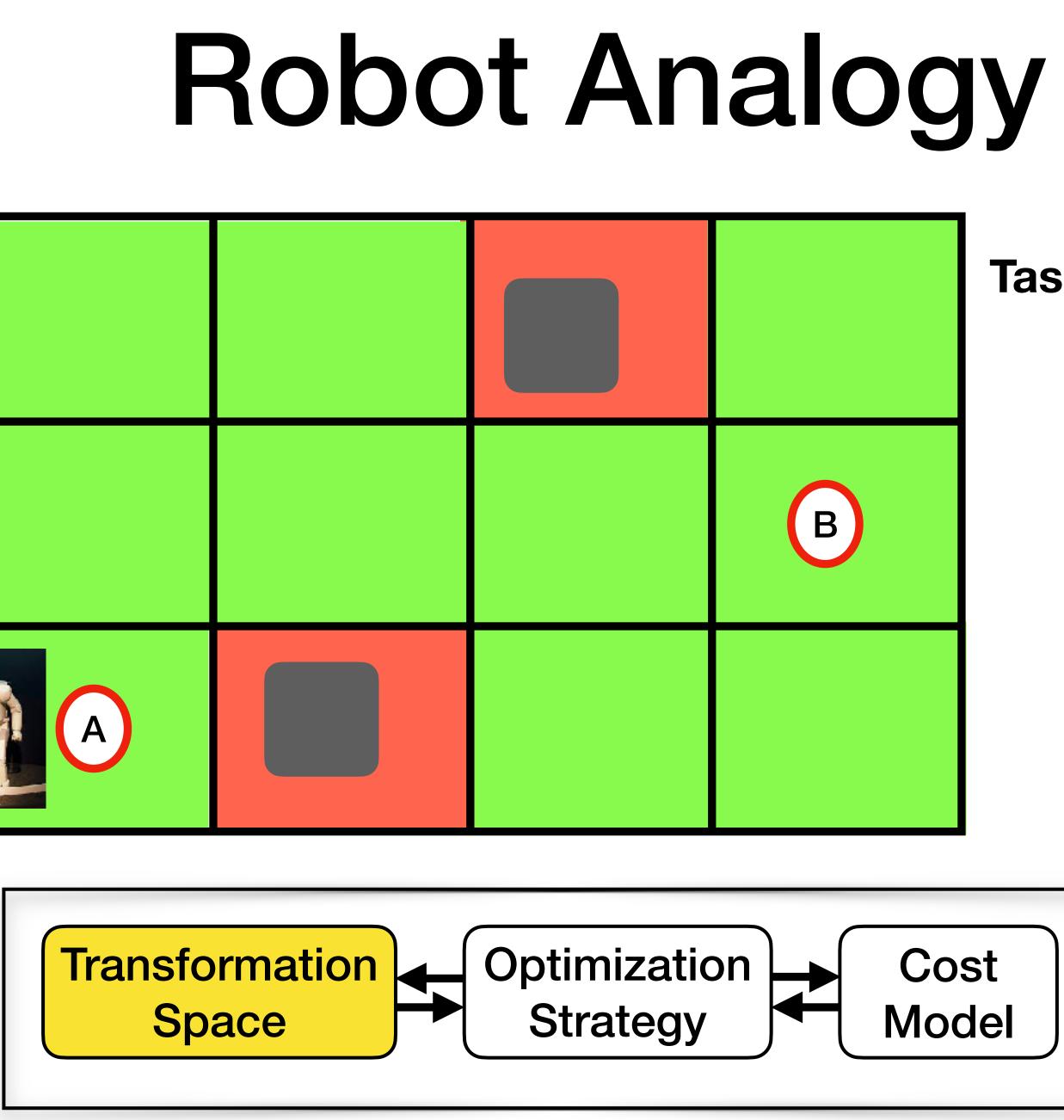








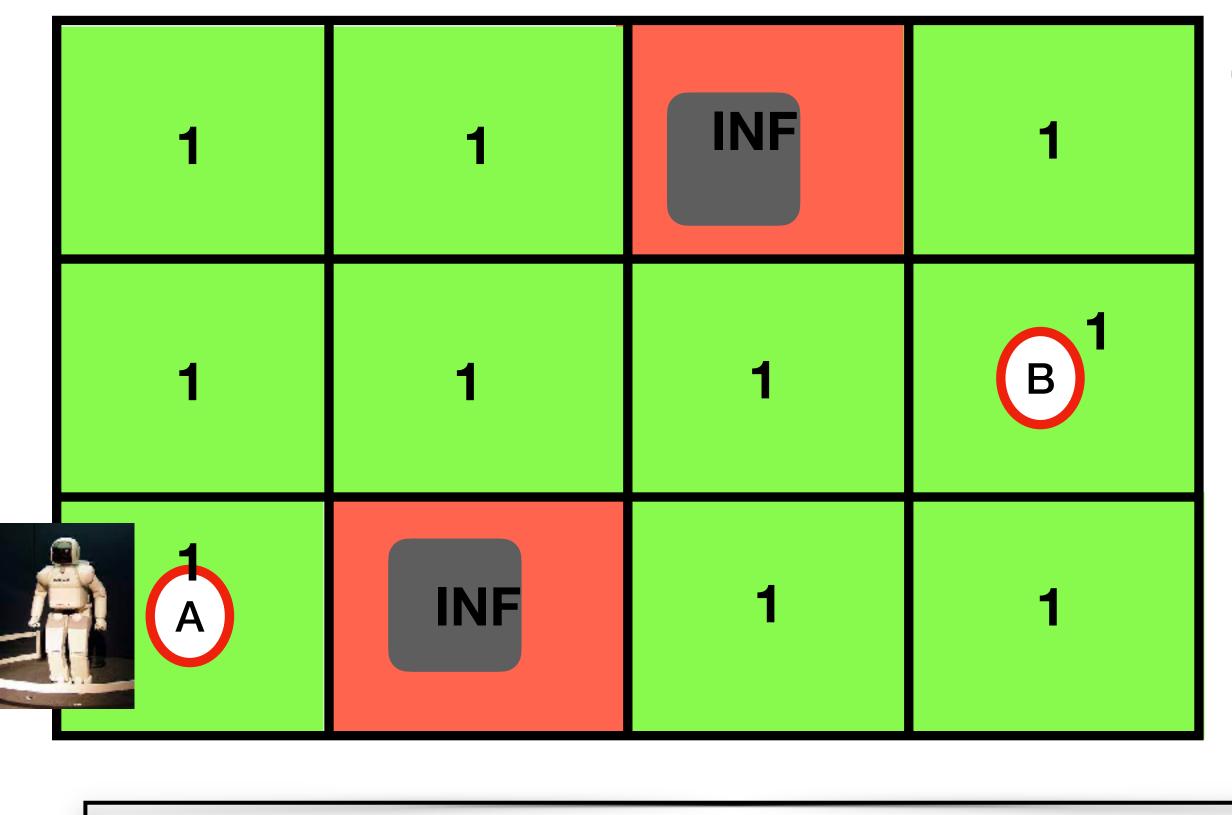


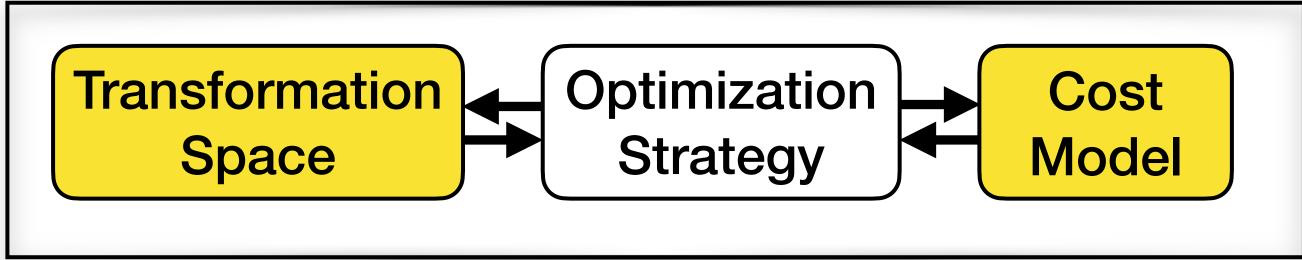


Task: Move from A to B cheaply





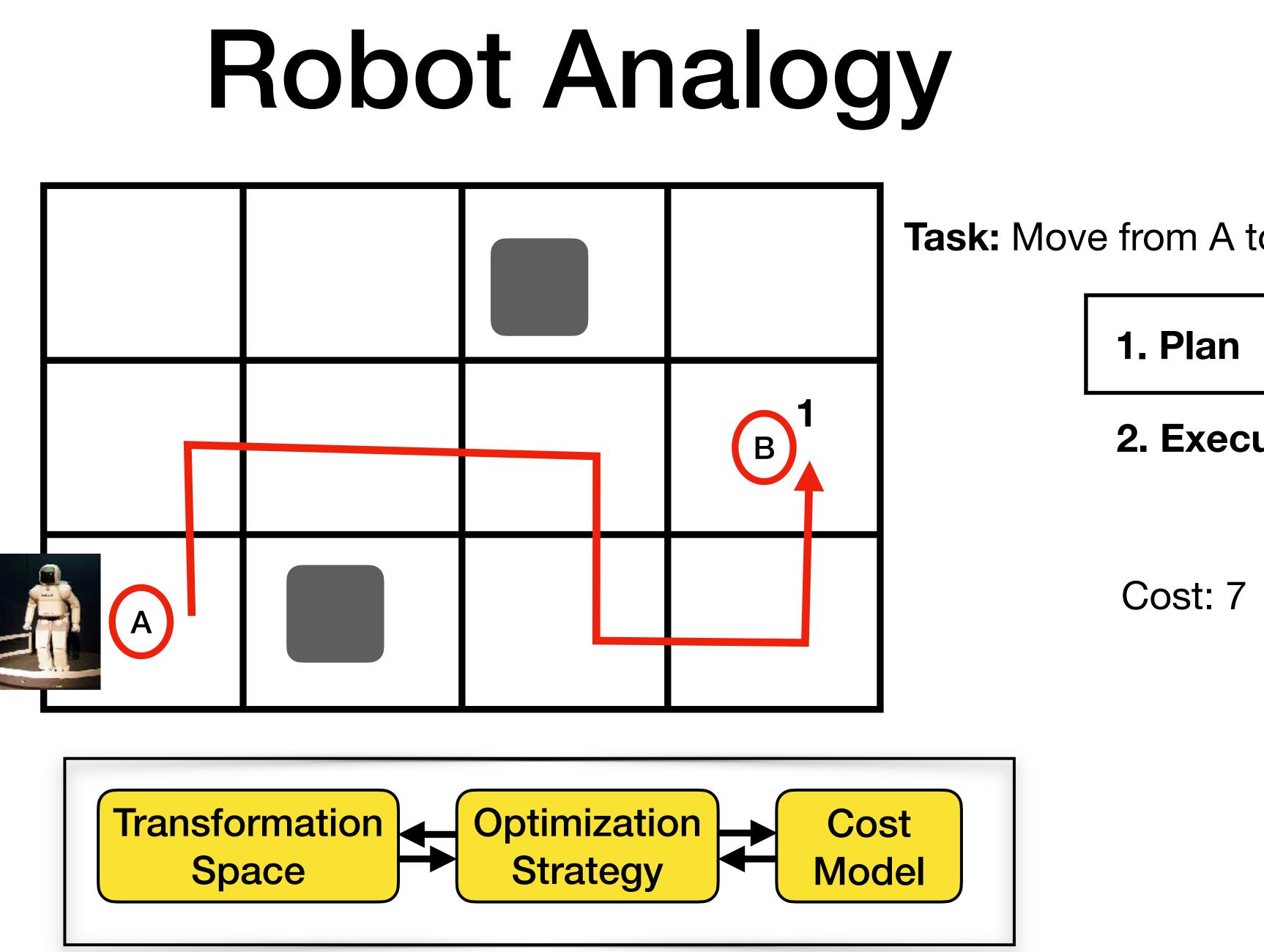


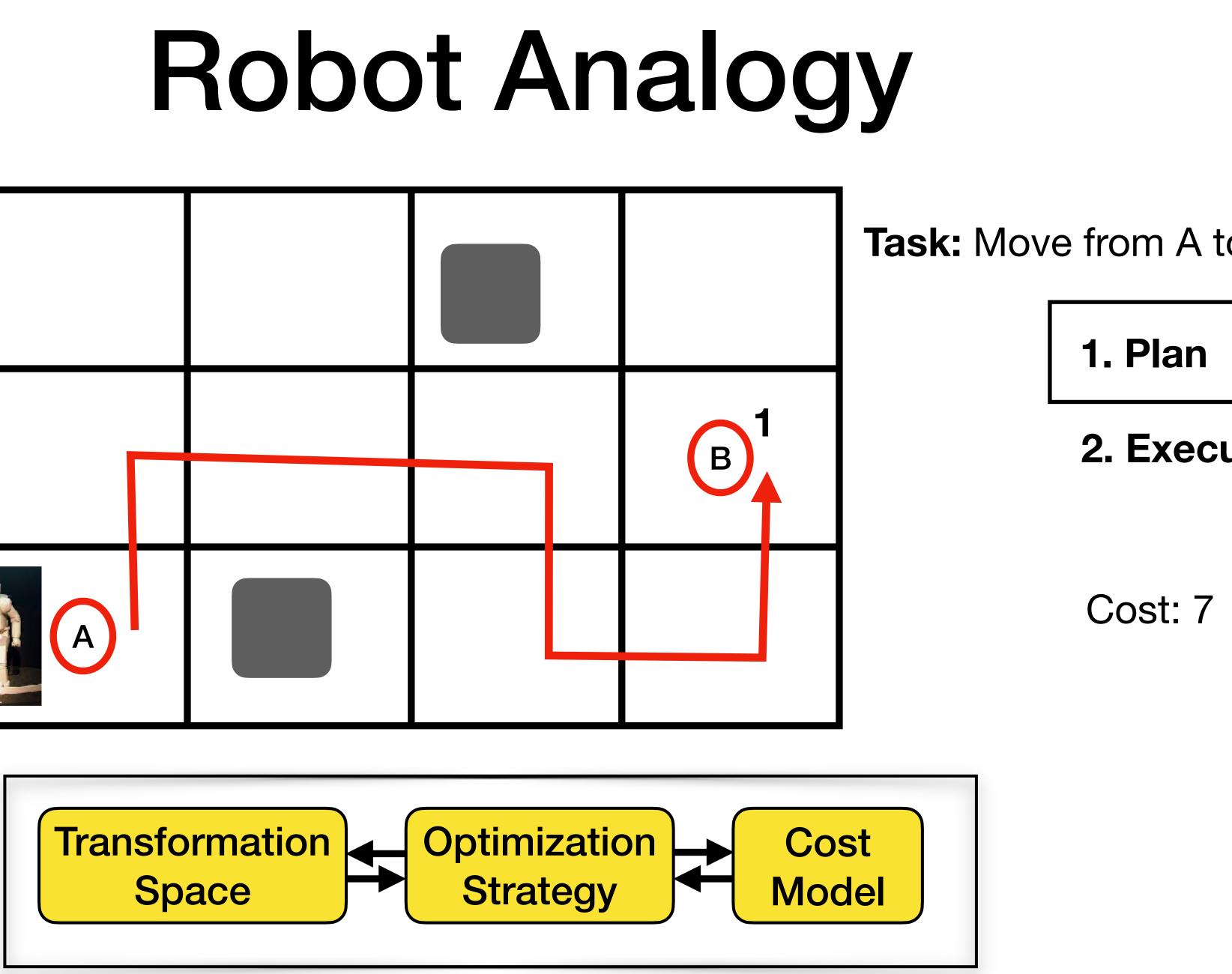


Task: Move from A to B cheaply



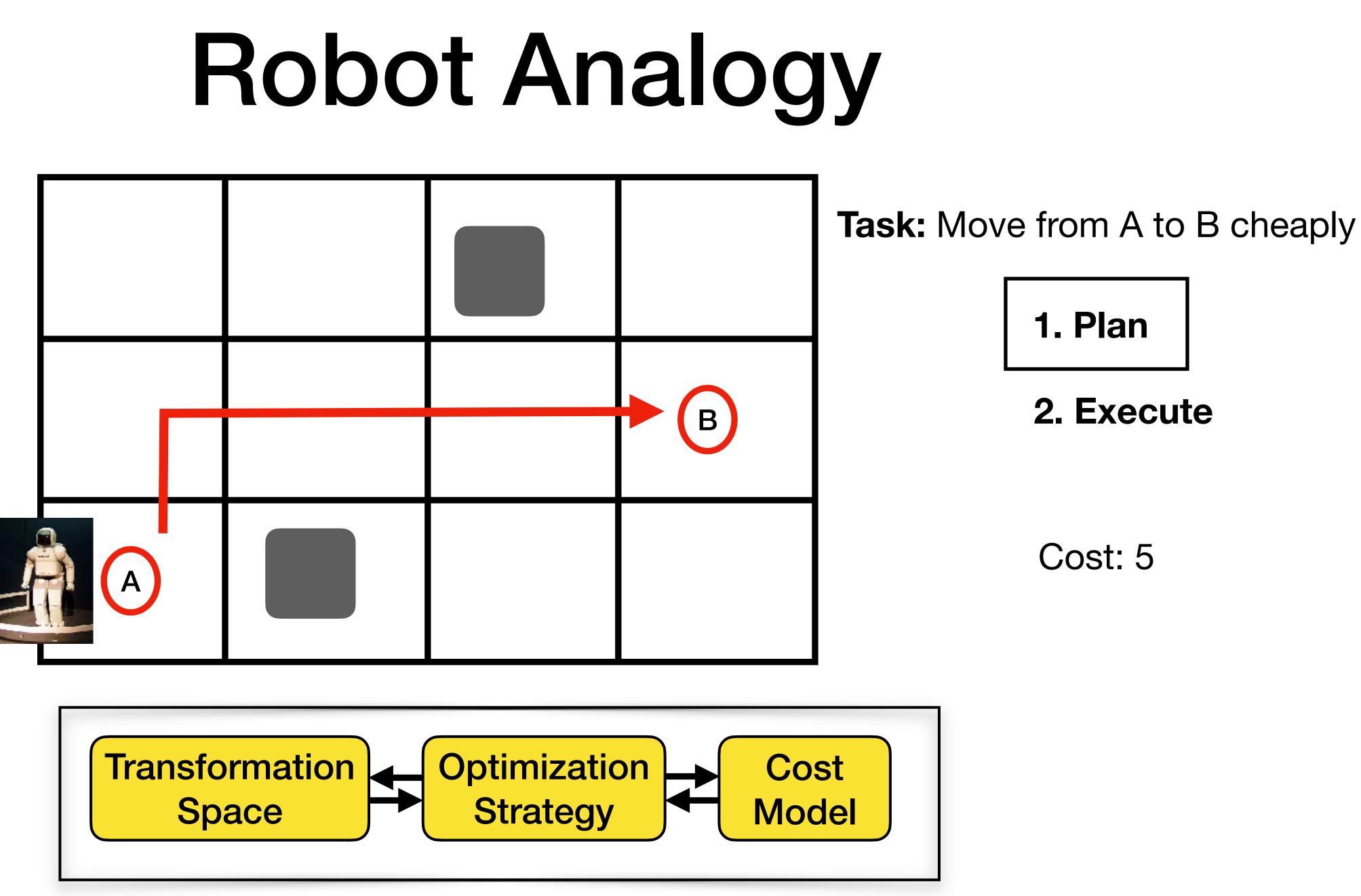


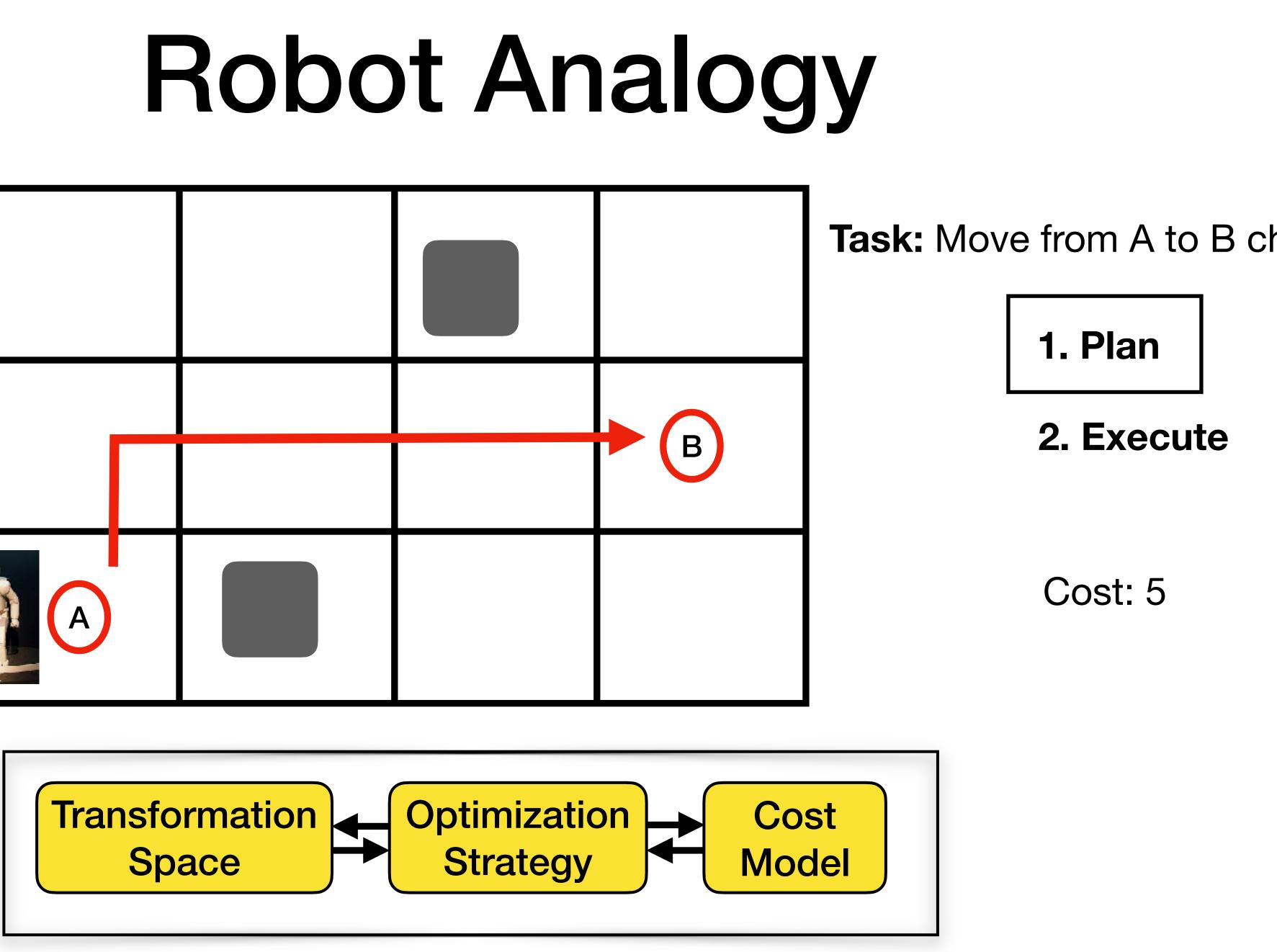




Task: Move from A to B cheaply





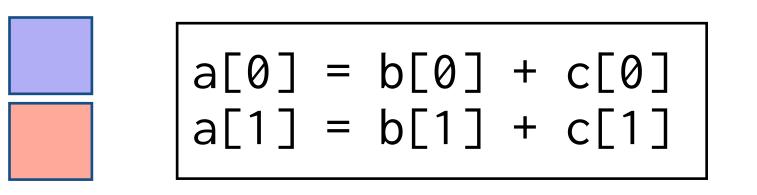






Independent and Isomorphic statements can be vectorized

Scalar Code



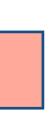
Vector Packs

Larsen & Amarasinghe "Exploiting Superword Level Parallelism with Multimedia Instruction Sets" [PLDI'00]

Vectorization

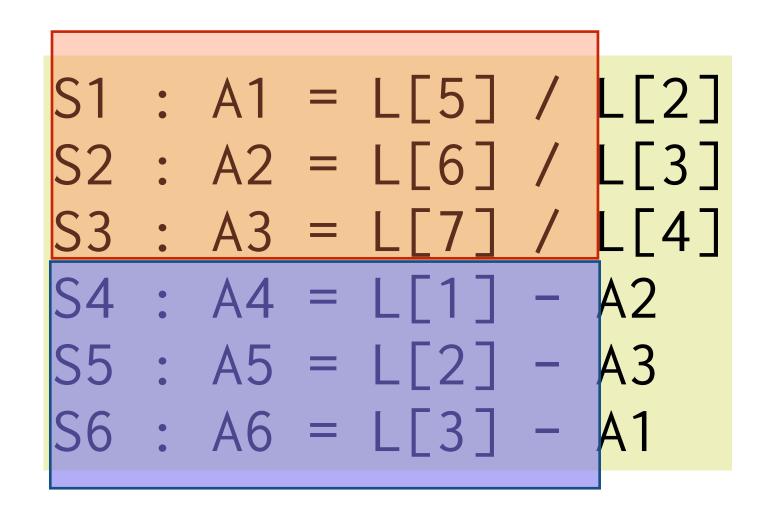
Vector Code Single Instruction Multiple Data (SIMD)

 $a[0],a[1] = {b[0],b[1]} + {c[0],c[1]}$



Statement Packing Problem

- Find independent and isomorphic statements
- Not all vector packs can exist with each other
- Need to select the most profitable packing strategy

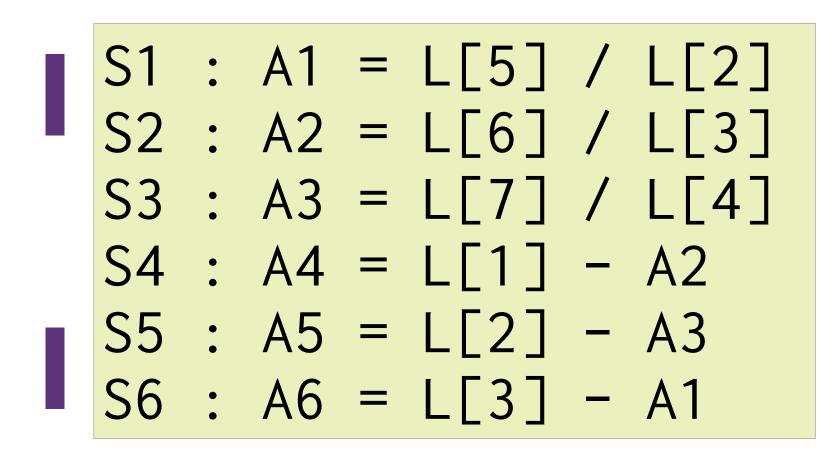


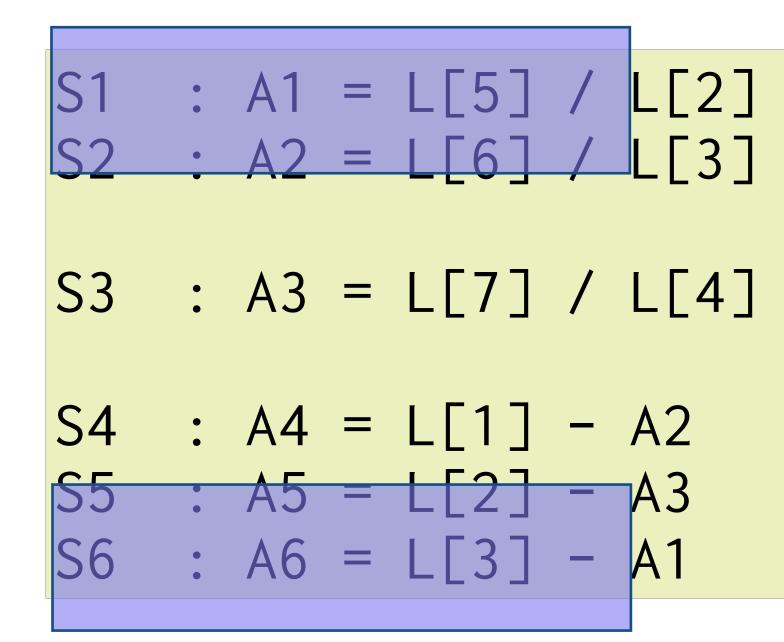
{S1,S2} {S4,S5} $\{S2, S3\}$ {S5, S6} {S4,S6} {S1,S3}

Transformation Space

Statement packing strategy 1

Scalar code





Instruction Breakdown

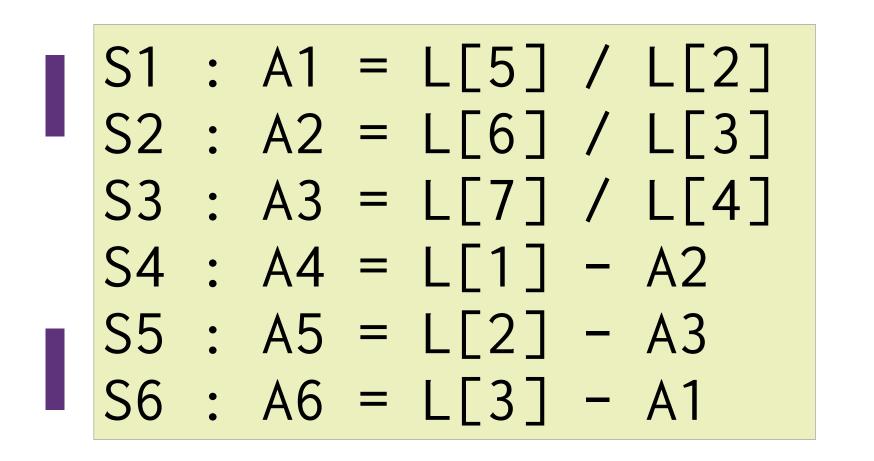
Vector code

0 vector

- 0 packing
- 0 unpacking

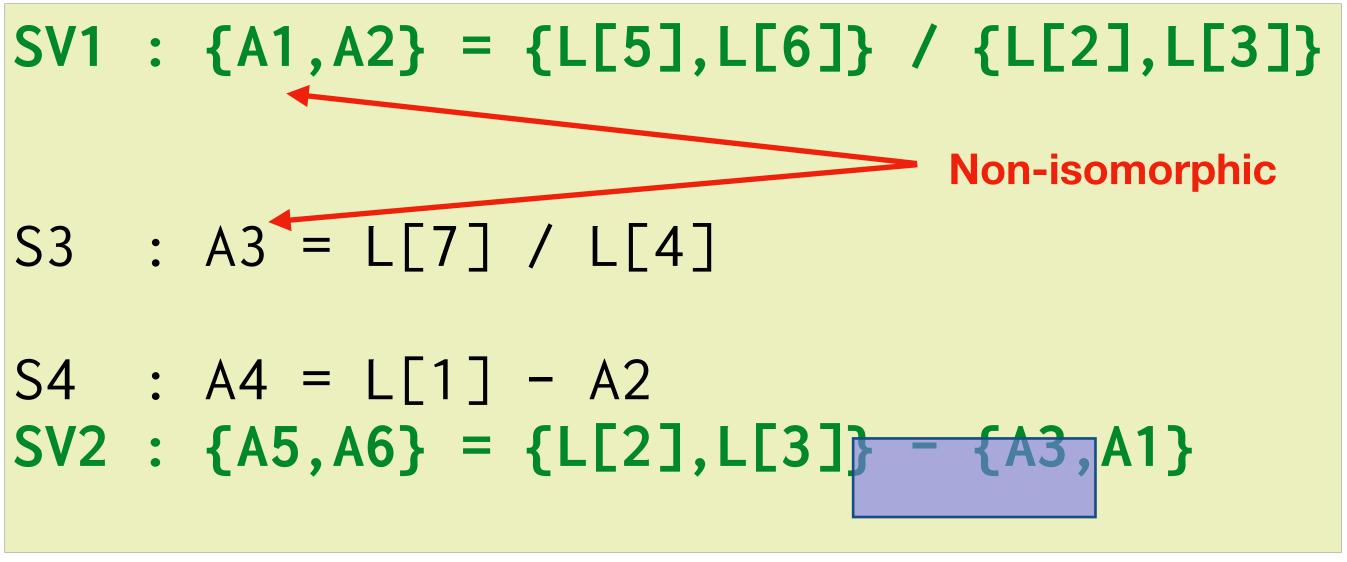


Scalar code



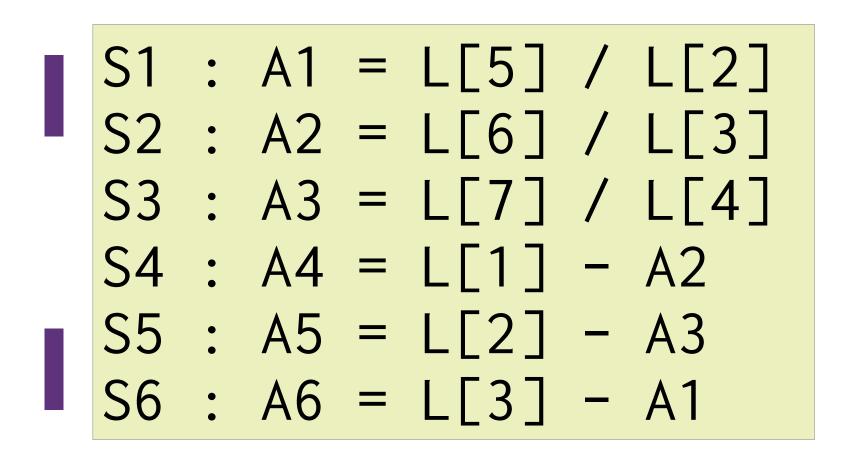
Instruction Breakdown





- 4 vector
- 0 packing
- 0 unpacking

Scalar code

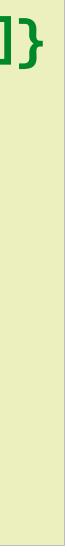


SV SU S3 SV

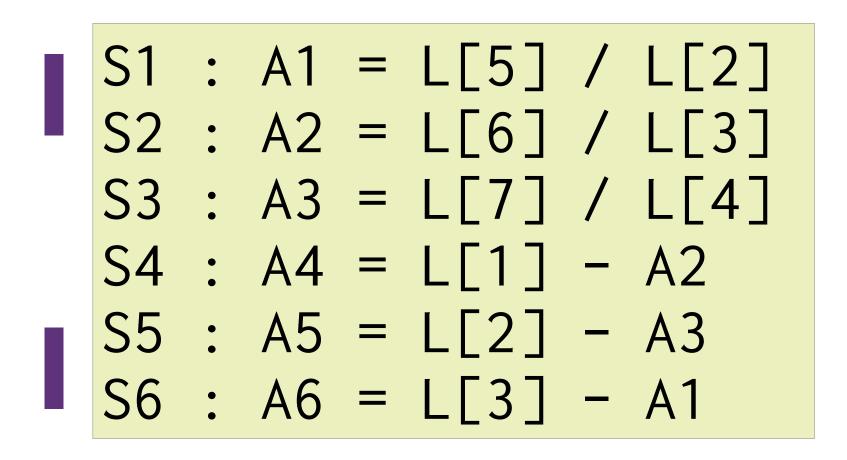
Instruction Breakdown

Vector code

- SV1 : {A1,A2} = {L[5],L[6]} / {L[2],L[3]}
 SU1 : A1 = unpack(SV1,1)
- S3 : A3 = L[7] / L[4]
- S4 : A4 = L[1] A2
- SV2 : {A5,A6} = {L[2],L[3]} {A3,A1}
 - 4 vector
 - 0 packing
 - 1 unpacking



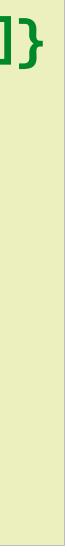
Scalar code



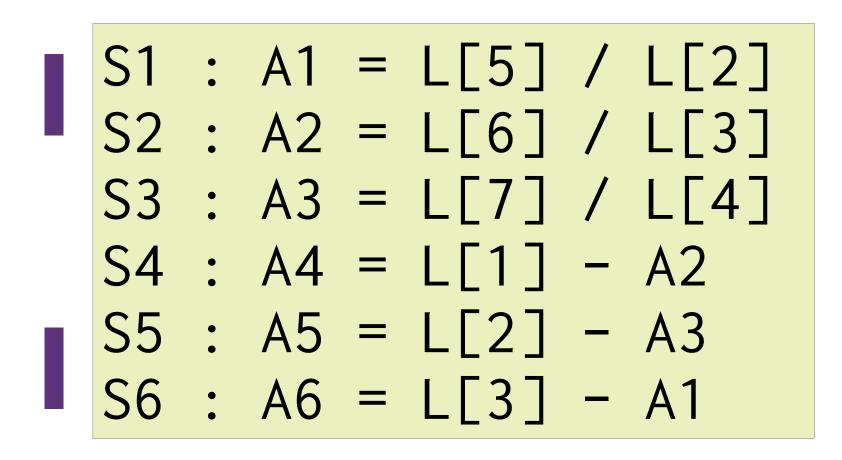
Vector code

- $SV1 : {A1,A2} = {L[5],L[6]} / {L[2],L[3]}$ SU1 : A1 = unpack(SV1, 1)
- S3 : A3 = L[7] / L[4]
- SP1 : $\{A3, A1\} = pack(A3, A1)$
- S4 : A4 = L[1] A2 $SV2 : {A5,A6} = {L[2],L[3]} - {A3,A1}$

- Instruction Breakdown
- 4 vector
- 1 packing
- 1 unpacking



Scalar code

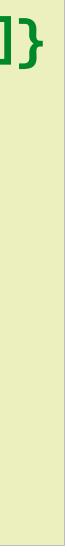


Instruction Breakdown

Vector code

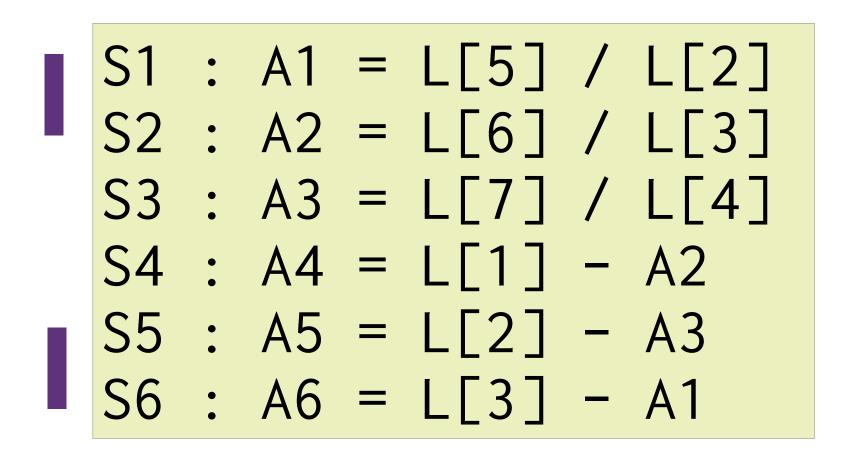
```
SV1 : {A1,A2} = {L[5],L[6]} / {L[2],L[3]}
SU1 : A1 = unpack(SV1, 1)
SU2 : A2 = unpack(SV1, 2)
S3 : A3 = L[7] / L[4]
SP1 : {A3,A1} = pack(A3,A1)
S4 : A4 = L[1] - A2
SV2 : {A5,A6} = {L[2],L[3]} - {A3,A1}
```

- 4 vector
- 1 packing
- 2 unpacking



Statement packing strategy 2

Scalar code



SV SU SU SV S6

Instruction Breakdown

Vector code

- SV1 : $\{A2, A3\} = \{L[6], L[7]\} / \{L[3], L[4]\}$
- SU1 : L[2] = unpack(SLV1,2)
- S1 : A1 = L[5] / L[2]
- SU2 : L[3] = unpack(SLV2,1)
- $SV2 : {A4,A5} = {L[1],L[2]} {A2,A3}$
- S6 : A6 = L[3] A1

5 vector0 packing2 unpacking



Different vectorization schemes have different profitability

Strategy 1

Liu et. al [PLDI'12]

```
SV1 : {A1,A2} = {L[5],L[6]} / {L[2],L[3]}
SU1 : A1 = unpack(SV1,1)
SU2 : A2 = unpack(SV1, 2)
S3 : A3 = L[7] / L[4]
SP1 : \{A3, A1\} = pack(A3, A1)
S4 : A4 = L[1] - A2
SV2 : {A5,A6} = {L[2],L[3]} - {A3,A1}
```

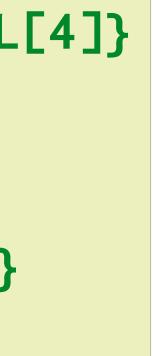
4 vector 1 packing 2 unpacking

Strategy 2

Optimal

SV1	•	${A2,A3} = {L[6],L[7]} / {L[3],L}$
SU1	•	L[2] = unpack(SLV1,2)
S1	•	A1 = L[5] / L[2]
SU2	•	L[3] = unpack(SLV2,1)
SV2	•	${A4,A5} = {L[1],L[2]} - {A2,A3}$
S6	•	A6 = L[3] - A1

5 vector 0 packing 2 unpacking



Machine Learning Influence

Transformation Space

Traditional solutions

Hand-written

Automated solutions

Program Logics

Optimization Strategy

- Greedy / Heuristic
- Integer Linear Programming
- Dynamic Programing



Analytical Linear Non-linear

Data-driven Imitation Learning

10/19

Data-driven

LSTM based Cost Model

10/05 (related reading)





Domain Specific Languages

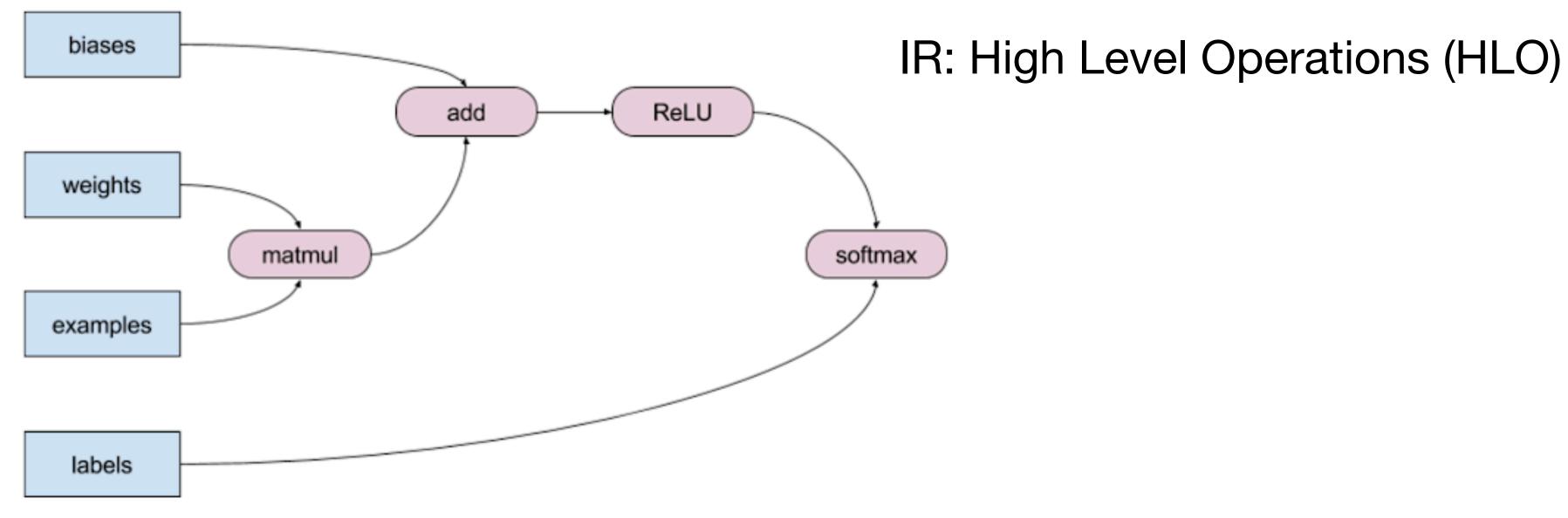
- Programming model specific to one domain
 - Image / Array Processing Halide, MATLAB
 - Sparse Tensor Computations TACO
 - Tensor Algebra Tensorflow, Pytorch (frameworks)
 - Graphs Graphlt, Gunrock
 - Genomic Computations Seq
- Usually comes with a set of domain specific optimizations

- Main idea: Separate algorithm specification from optimizations \bullet (schedules)
- Halide Video
 - https://www.youtube.com/watch?v=3uiEyEKji0M&t=3s
- **Optimization objective:** find the best schedule or optimization sequence for a given Halide algorithm

Halide

Tensorflow

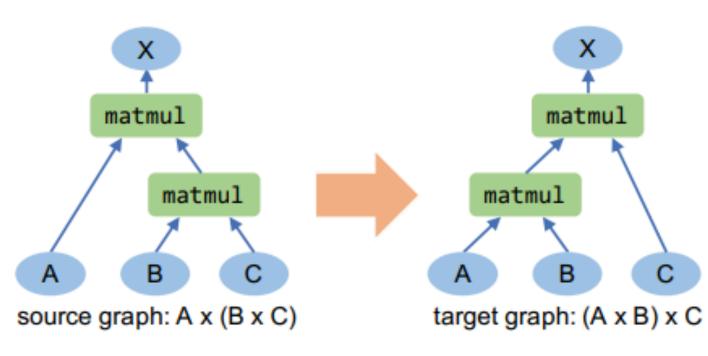
- Model tensor manipulating programs
- Uses the XLA compiler to target GPUs, TPUs and CPUs
- Main abstraction: Computational Graphs



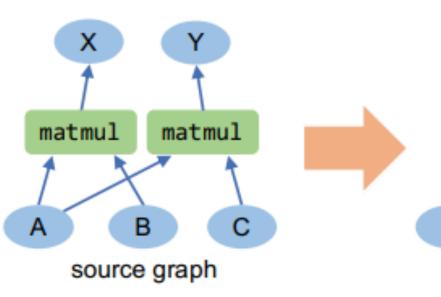


XLA Compiler

 \bullet

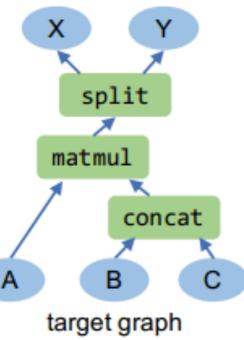


(a) Associativity of matrix multiplication.



(b) Fusing two matrix multiplications using concatenation and split.

(Most) optimizations can be expressed as computational graph rewrites



TASO [SOSP'19]

https://cs.stanford.edu/~padon/taso-sosp19.pdf



Machine Learning Influence

Transformation Space

Automated solutions

Program Logics

Optimization Strategy Cost Model

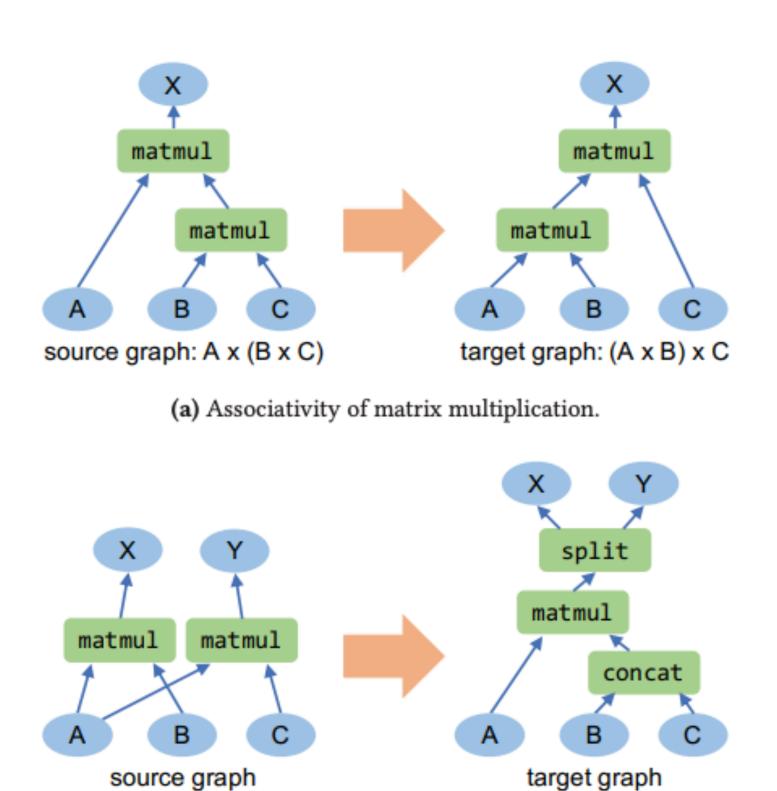
Data-driven

Data-driven

10/26: Tree Search (Halide)

10/31: Gradient-based Methods (TVM) 10/10: GNN based Cost Model (XLA)

XLA Compiler



(b) Fusing two matrix multiplications using concatenation and split.

(Most) optimizations can be expressed as computational graph rewrites

• What if there are 2 or rewrites that can be performed at the same time?

Optimization objective: find the best schedule or optimization sequence for a given Halide algorithm

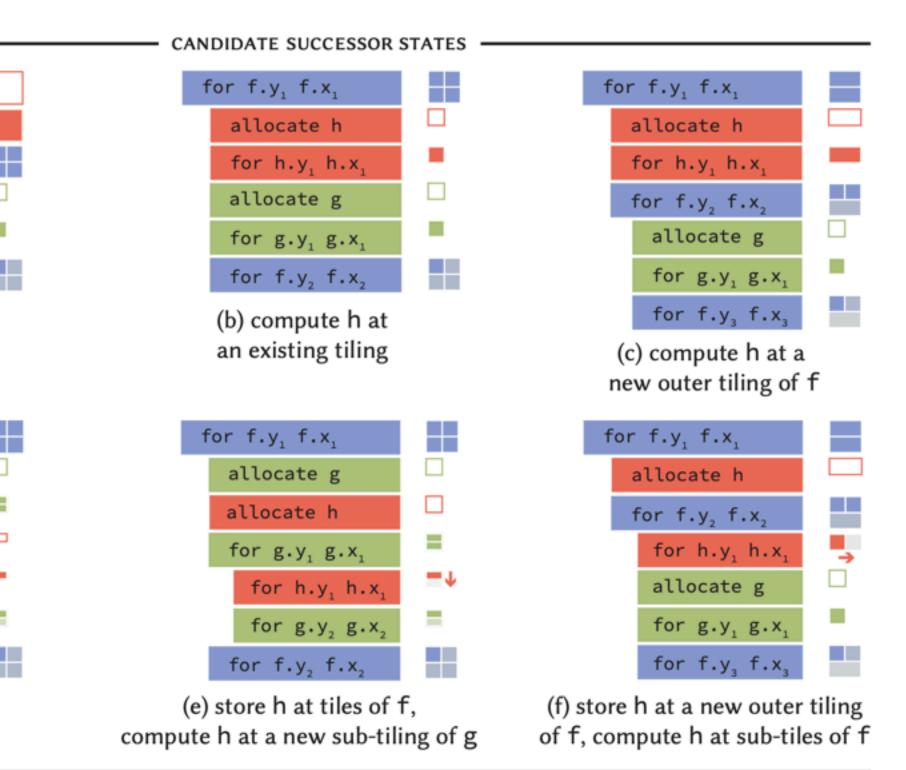
CURRENT BEAM SEARCH STATE				
for f.y ₁ f.x ₁				
allocate g				
for g.y ₁ g.x ₁				
for $f.y_2 f.x_2$				

	_
allocate h	
for h.y ₁ h.x ₁	
for f.y ₁ f.x ₁	
allocate g	
for g.y ₁ g.x ₁	
for $f.y_2 f.x_2$	
(a) compute	
at root	

for f.y, f.x,	
allocate g	
for g.y ₁ g.x ₁	
allocate h	
for h.y ₁ h.x ₁	-
for $g.y_2 g.x_2$	
for $f.y_2 f.x_2$	

(d) compute h at a new sub-tiling of g

Halide



Paper Presentation

- Paper presentations assigned on September 4th
- Week before: Meet instructor to discuss the presentation plan (compulsory!) Use this time to ask questions and discuss the outline Presentation slides are due when reviews are due for that class • Submit using the hotCRP system
- During the class: Be present in class (compulsory!) Deliver a 30 min presentation on the paper Answer questions for the following 20 min • Final 25 min for open discussion on the paper (lead by the instructor)

Paper Presentation

- After class: Summarize the discussion of the paper
 - Submit the summary by the start of the next class
- First presentation on September 12th
 - Whaley and Dongarra, "<u>Automatically Tuned Linear Algebra Software</u>" (SC 1998)
 - 30 min presentation

https://amturing.acm.org/award_winners/dongarra_3406337.cfm

Any Questions?